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## Global convergence of the Yamabe flow

Let  $M$  be a compact manifold of dimension  $n \geq 3$ . Along the Yamabe flow, a Riemannian metric on  $M$  is deformed such that  $\frac{\partial g}{\partial t} = -(R_g - r_g)g$ , where  $R_g$  is the scalar curvature associated with the metric  $g$  and  $r_g$  denotes the mean value of  $R_g$ . It is known that the Yamabe flow exists for all time. Moreover, if  $3 \leq n \leq 5$  or  $M$  is locally conformally flat, then the solution approaches a metric of constant scalar curvature as  $t \rightarrow \infty$ . I will describe how this result can be generalized to higher dimensions. The key ingredient in the proof is a new construction of test functions whose Yamabe energy is less than that of the round sphere.