

NAME: _____

Student ID #: _____

QUIZ SECTION: _____

Math 112
Midterm II
February 28th, 2008

Problem 1	12	
Problem 2	14	
Problem 3	12	
Problem 4	12	
Total:	50	

- You are allowed to use a calculator, a ruler, and one sheet of notes.
- Your exam should contain 5 pages in total and 4 problems.
Make sure you have a complete test.
- Unless otherwise noted, you **must show how you get your answers**.
Correct (or incorrect) answers with no supporting work may result in little or no credit.
- If an algebraic method is available, answers obtained by guessing, approximating, using your graphing calculator, or plug-and-check will get little or no credit.
- Write your **final answer in the indicated spaces**. Unless otherwise noted, round your answer to two decimal digits.
- If you need more room, use the backs of pages and indicate to the reader that you have done so.
- Raise your hand if you have a question.

GOOD LUCK!

Do you want me to post your grade so far on the class website under the last 4 digits of your STUDENT ID (in about a week)?

Yes, please post my grade. Sign to give permission: _____

No, please don't post my grades.

1) (12 points) Evaluate the indicated derivatives of the following functions. **Do not simplify.**

a) $g(t) = \frac{t^2+2}{5t+7}$

$$g'(t) =$$

b) $y = e^z \ln z \sqrt{z+1}$

$$\frac{dy}{dz} =$$

c) $f(x) = [1 + (\ln x)^3]^5$

$$f'(x) =$$

3. (12 points)

Suppose that in order to achieve monthly sales of q thousand Items you have to sell your Items at a **price**

$$p(q) = q^2 - 25q + 150 \text{ (dollars per Item)}$$

a) Determine all quantities for which your demand curve $p(q)$ is decreasing and not negative.

Justify your answer.

Answer: from $q =$ _____ to $q =$ _____ thousand Items.

b) Find all the critical points for your **Total Revenue** function. Round your answers to 2 decimal digits.

Answer: TR has critical points at $q =$ _____ thousand Items

c) Use the Second Derivative Test to determine whether each of the critical points you found in part (b) is a local maximum or a local minimum for the total revenue. Show all work and circle your answers.

4. (12 pts) The constraints for a linear programming problem are: $2x + 4y \leq 12$ and $x + 5y \leq 10$.

a) Sketch the two constraints and label the feasible region.



b) Find the coordinates (x, y) of all the vertices of the feasible region.

Answer: $(x, y) =$ _____ (list all vertices)

(c) Subject to the given constraints, find the maximum value of the following objective function:

$$f(x, y) = 6x - 3y$$

Answer: $\max f(x, y) =$ _____