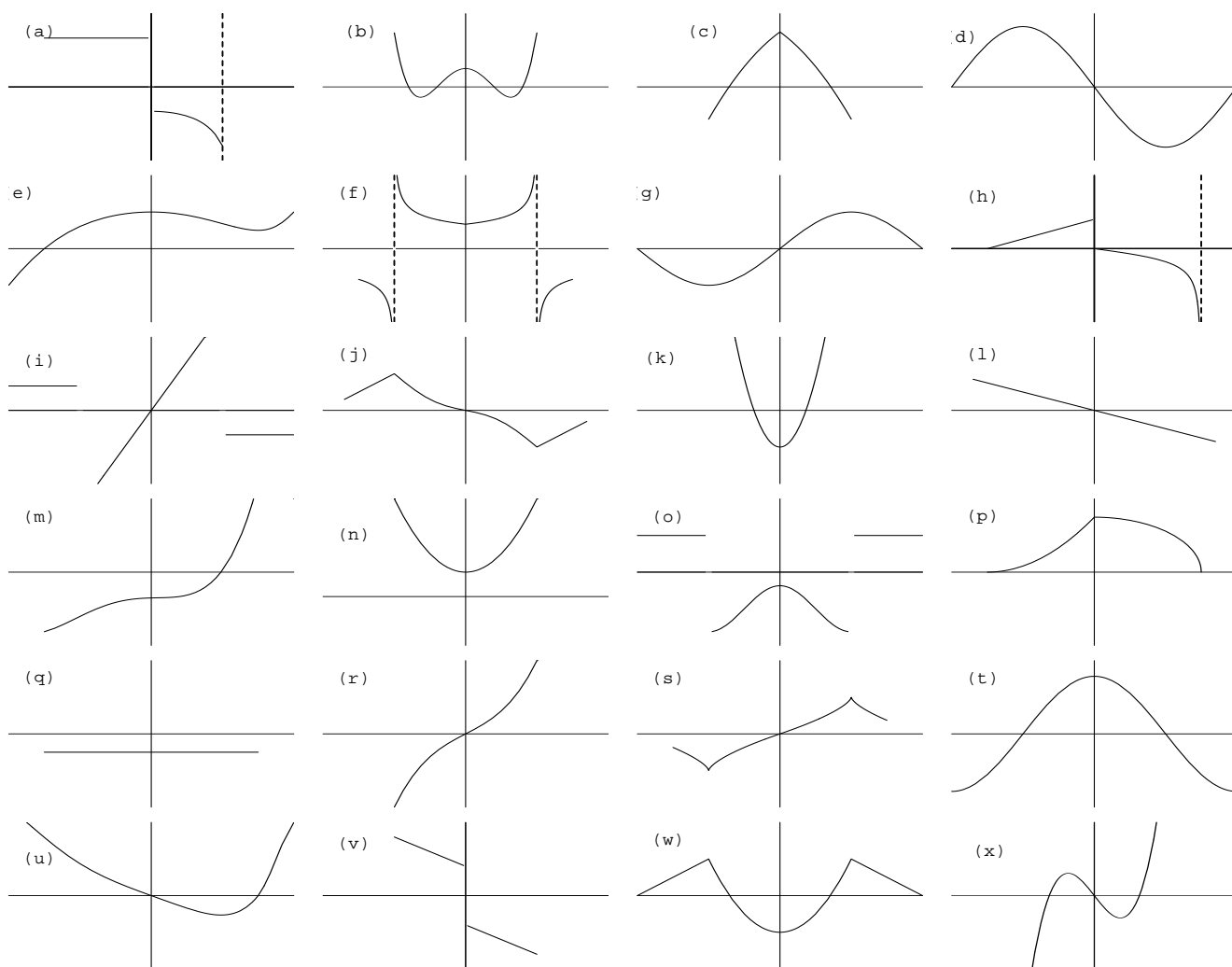
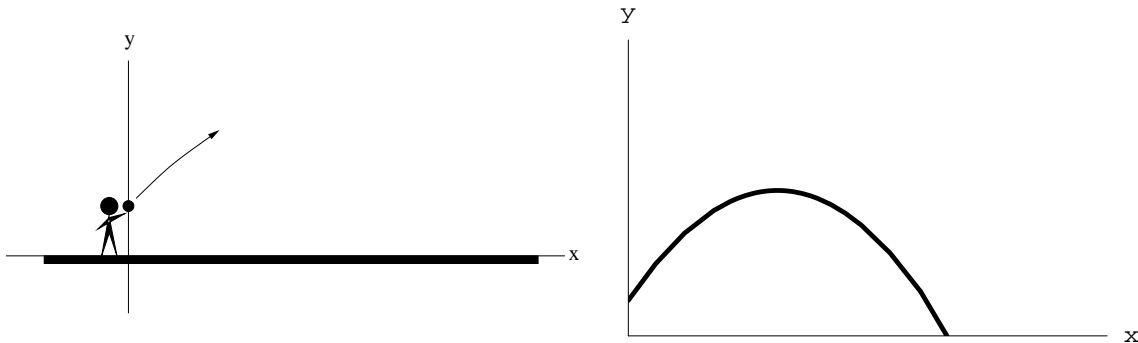


HOMEWORK (winter/spring), Week 3

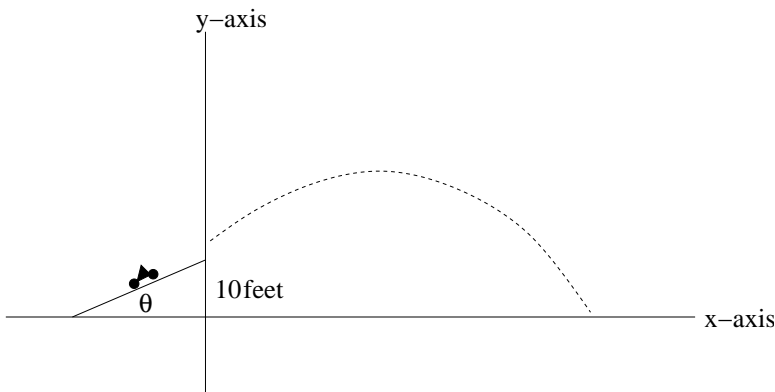
1. Stewart, section 2.8: #1, 3, 5, 6, 9, 11, 12, 13, 27, 33, 36, 43, 56, 57.
2. Stewart, section 3.1: # 3-31 (odd), 51, 66, 73, 80.
3. Stewart, section 3.2: # 3-25 (odd), 28, 43, 47, 51, 53.
4. The 24 graphs below are labeled by letters from (a) to (x). For each of the following graphs of $f(x)$, give the letter of the graph that looks most like it could be the graph of the derivative function $f'(x)$: (1) b, (2) c, (3) e, (4) g, (5) h, (6) j, (7) l, (8) p, (9) r, (10) s, (11) t, (12) u, (13) w, (14) x. .



5. Lee throws a ball. Impose a coordinate system as pictured and assume the parametric equations for the motion of the ball are given by $x(t) = 28.925t$, $y(t) = -16t^2 + 34.472t + 6$. We have graphed the points $P(t) = (x(t), y(t))$ on the right.



- Where is the point $P(0)$ on the graph?
 - Label the point where the ball hits the ground, find the coordinates and determine when this happens.
 - Calculate $x'(t)$ and $y'(t)$; these are called the horizontal and vertical velocity.
 - When is the vertical velocity zero? Find the coordinates of the ball when this happens.
 - What is the vertical velocity of the ball when it hits the ground?
6. A stunt cyclist needs to make a calculation for an upcoming cycle jump. The cyclist is traveling 100 ft/sec toward an inclined ramp which ends 10 feet above a level landing zone. Assume the cyclist maintains a constant speed up the ramp and the ramp is inclined θ° above horizontal. With the pictured imposed coordinate system, the parametric equations of the cyclist will be: $x(t) = 100t \cos(\theta)$, $y(t) = -16t^2 + 100t \sin(\theta) + 10$. (We will assume these equations.)



- Calculate the horizontal and vertical velocity of the cyclist at time t . What are these velocities if the angle $\theta = 20^\circ$? What if $\theta = 45^\circ$?
- Determine when the vertical velocity of the cyclist is zero. (The answer involves θ .)
- Assume the cyclist wants to have a maximum height of 35 feet above the landing zone. What is the required launch angle θ ?