HOMEWORK \#6, DUE 11/10

## MATH 504A

Problems 10.5.1,2 and 17.1.1,3 in Dummit and Foote, and the following: given projective resolutions $\left\{P_{i}\right\},\left\{Q_{i}\right\}$ with boundary maps $d_{i}, d_{i}^{\prime}$ of left $R$-modules $M, N$, the 0 map from $M$ to $N$, and maps $f_{i}$ from $P_{i}$ to $Q_{i}$ making the obvious diagram (in class) commute, show that there are maps $s_{i}: P_{i} \rightarrow Q_{i+1}$ such that $d_{1}^{\prime} s_{0}=f_{0}, d_{i+1}^{\prime} s_{i}+s_{i-1} d_{i}=f_{i}$ for $i \geq 1$.

