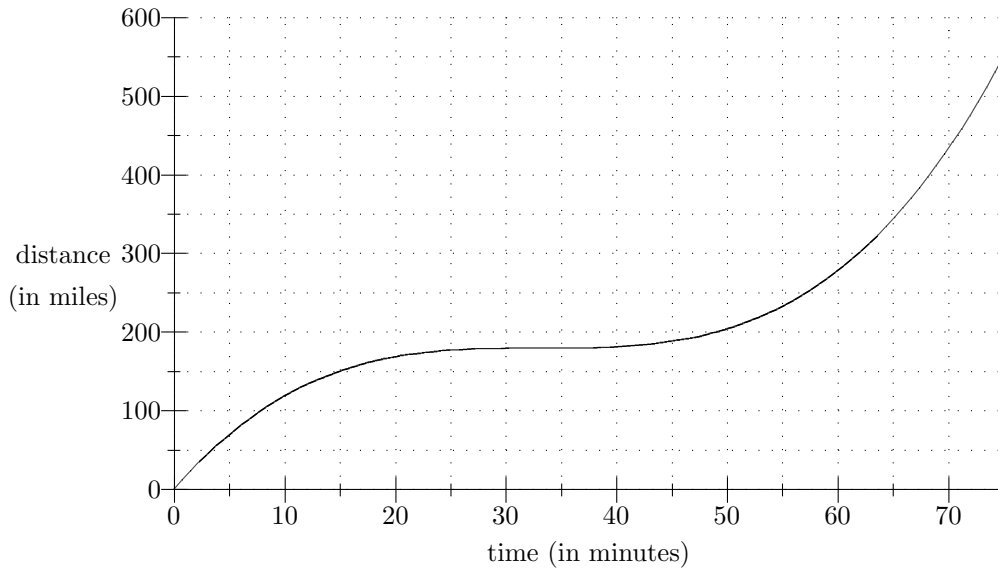


Handout to accompany Worksheet #1

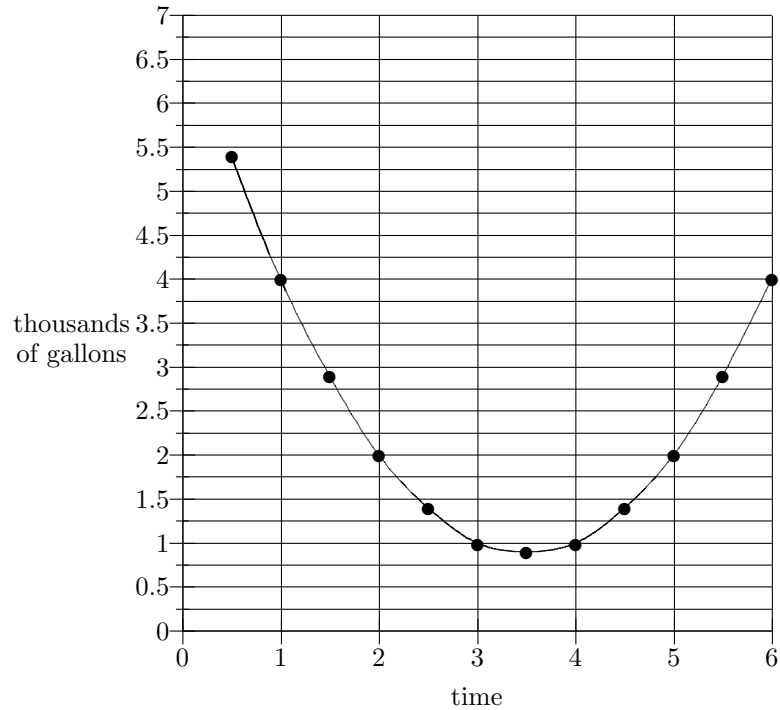
**Situation:** The graph below is distance vs. time for a rocket car traveling on the rocket car freeway.



Handout to accompany Worksheet #2

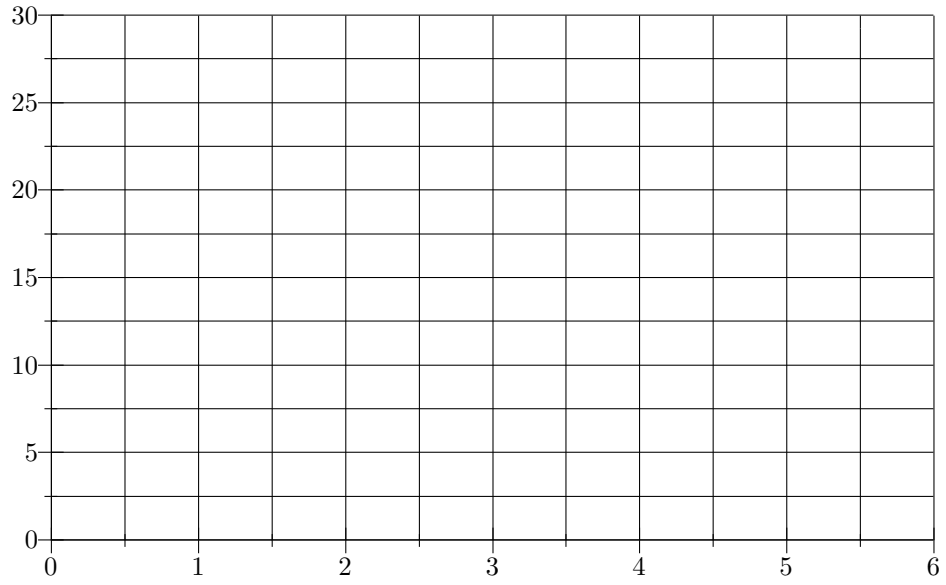
**Situation:** The chart and graph below show the amounts of water (in thousands of gallons) drawn from a city water reservoir by customers over half-hour intervals from noon to 6 p.m. Water flows in the reservoir at the constant rate of three thousand gallons per half hour.

$t$	$U$
12:00	N/A
12:30	5.4
1:00	4
1:30	2.9
2:00	2
2:30	1.4
3:00	1
3:30	.9
4:00	1
4:30	1.4
5:00	2
5:30	2.9
6:00	4



**Questions:** If the reservoir were empty at noon, could the customers be supplied with their water for the whole day? If not, what would be a reasonable amount of water to have in the reservoir at noon to be sure that the customers can be sufficiently supplied?

$t$	12:30	1:00	1:30	2:00	2:30	3:00	3:30	4:00	4:30	5:00	5:30	6:00
$U$	5.4	4	2.9	2	1.4	1	.9	1	1.4	2	2.9	4
$O$												
$I_1$												
$I_2$												



Handout to accompany Worksheet #3

**Situation:** You produce and sell tubes of shin polish. In order to attract large orders, you have devised a sliding price scale, given in the table below. It costs \$6 to produce each tube of shin polish.

**Question:** Your partner says that you cannot run a business by charging less for more and thinks that you will be losing money every time a customer increases his or her order size. You say that as long as you get more than \$6 per item, you're still ahead. Is anyone right?

(1) quantity $q$	1	2	3	4	5	6	7	8	9
(2) price per tube	20	18	16	14	12	10	8	6	4
(3)									
(4)									
(5)									
(6)									
(7)									

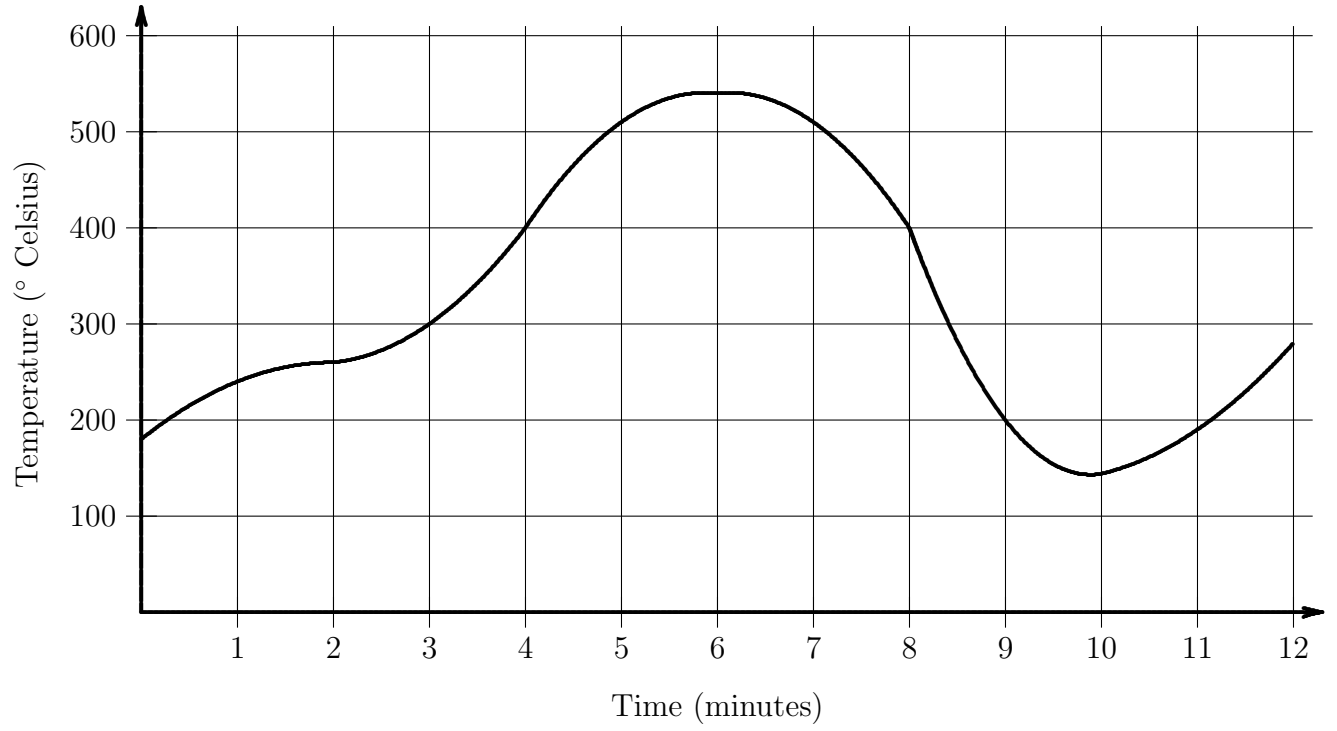

Handout to Accompany Worksheet #6

**Story:** A yellow car and a green car travel down a long, straight road. At  $t = 0$ , both cars are at the same place (the starting line). Yellow's distance (in miles) is given in the table below:

$t$ (in min)	0	5	10	15	20	25
Yellow	0	7.3	11.4	13.6	15.1	17.5
Green						

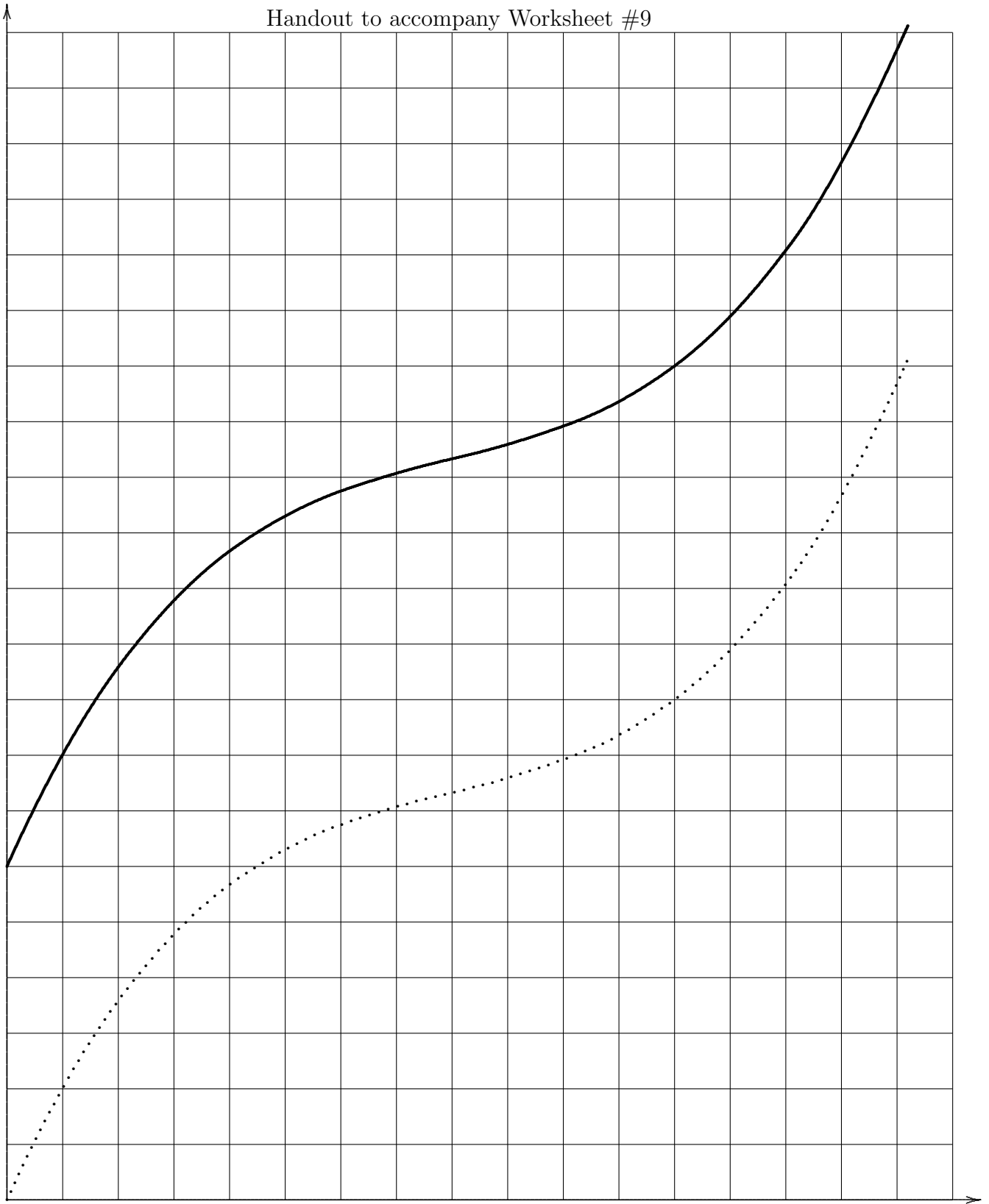
Green sits at the starting line and then, for every place along the highway, Green reaches that place exactly 5 minutes after Yellow does.

Handout to accompany Worksheet #7



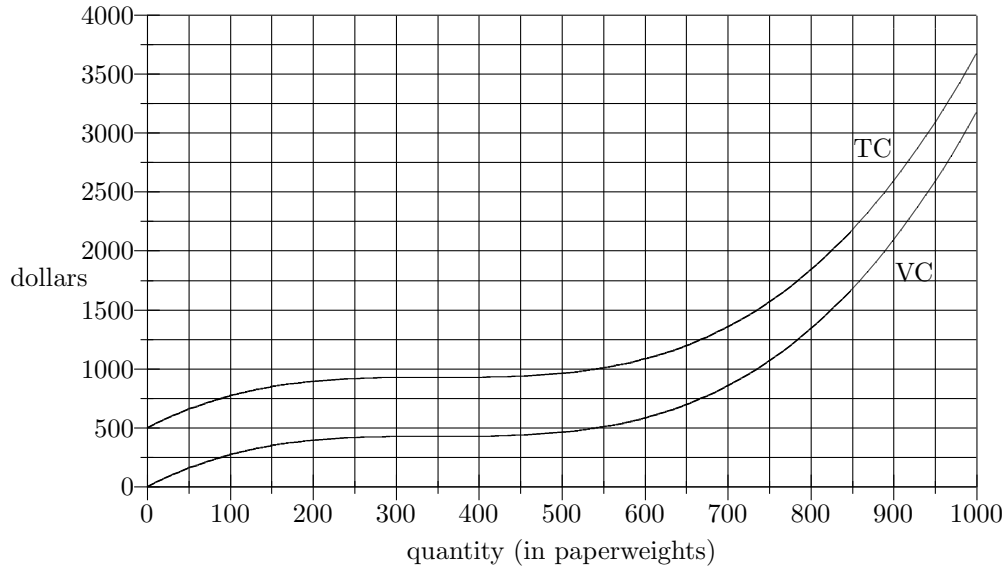
	English	Graph	Functional Notation
1	At time $t = 4$ , the temperature is $400^\circ$ .	At $t = 4$ , the height of graph is 400.	$P(4) = 400$
2			$P(10) > P(9)$ * * false
3	Between 4 and 6 minutes, the temperature rises by $140^\circ$ .		
4		The slope of the secant from $t = 0$ to $t = 4$ is 57.	
5	When is the temperature $350^\circ$ ?		
6		The graph has height 200 for three different values of $t$ .	
7			Find $t$ so that $P(t) - P(2) > 100$ .
8			$\frac{P(5)-P(2)}{5-2} > \frac{P(8)-P(2)}{8-2}$
9	Find two times, 2 minutes apart, when the temperature is the same.		
10		slope of the secant line from 2 to $h$	
11	How many minutes after $t = 4$ does the temperature become $250^\circ$ ?		
12			If $\Delta t = 3$ , for what $t$ is $\Delta P$ highest?
13		the change in height of the graph between $t$ and $t + 2$	
14			Solve $P(3+r) - P(3) = 100$ for $r$

	English	Graph	Functional Notation
15		slope of secant line from $t$ to $t + 3$ .	
16	the average rate of change of temperature for $t$ minutes beginning at $t = 3$		
17		slope of the secant from $t = p$ to $t = q$ .	
18			Is $P(2) + P(3) = P(5)$ ?
19		For which $t$ is graph twice as high as it is when $t = 10$ ?	
20	Find a span over which temp rises by $50^\circ/\text{min}$ on average.		
21	change in time		
22			$\Delta P$

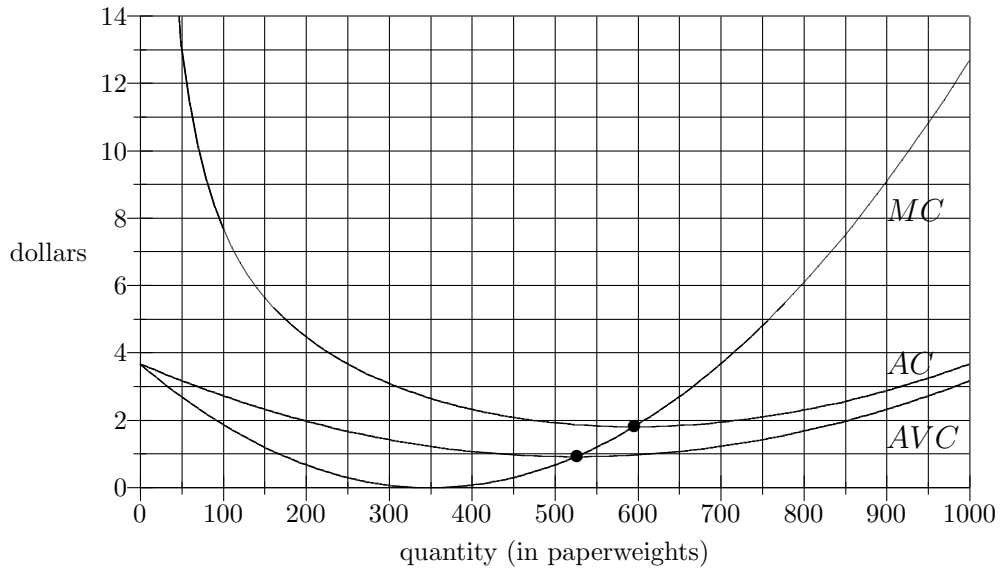


Handout to accompany Worksheet #10

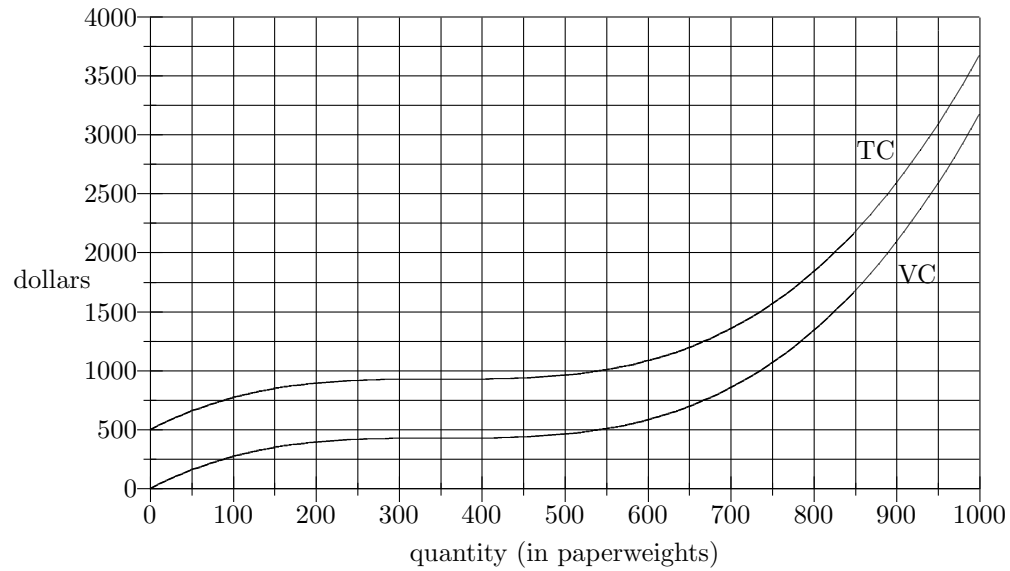
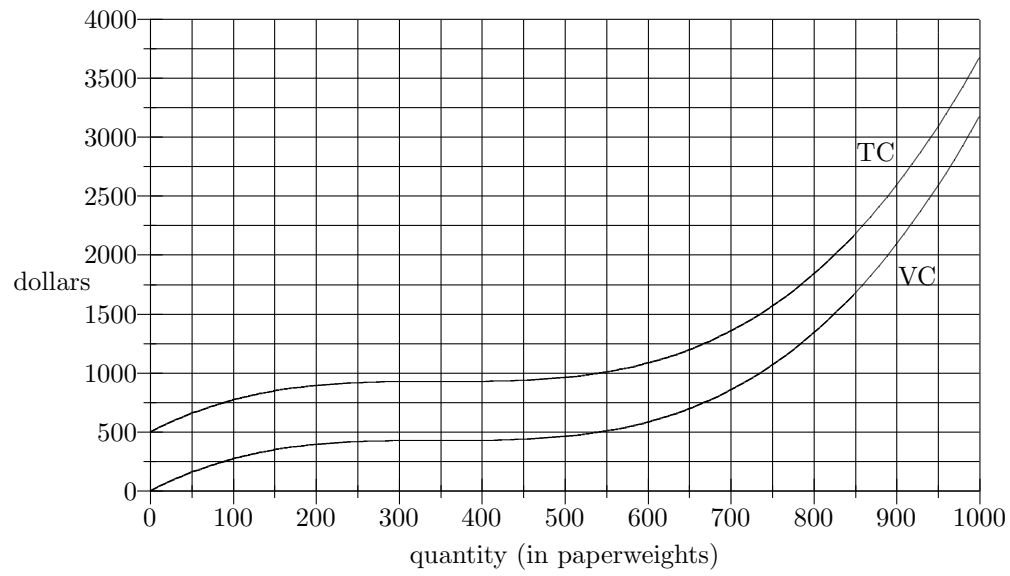
The following are the graphs of Total Cost and Variable Cost for selling paperweights.



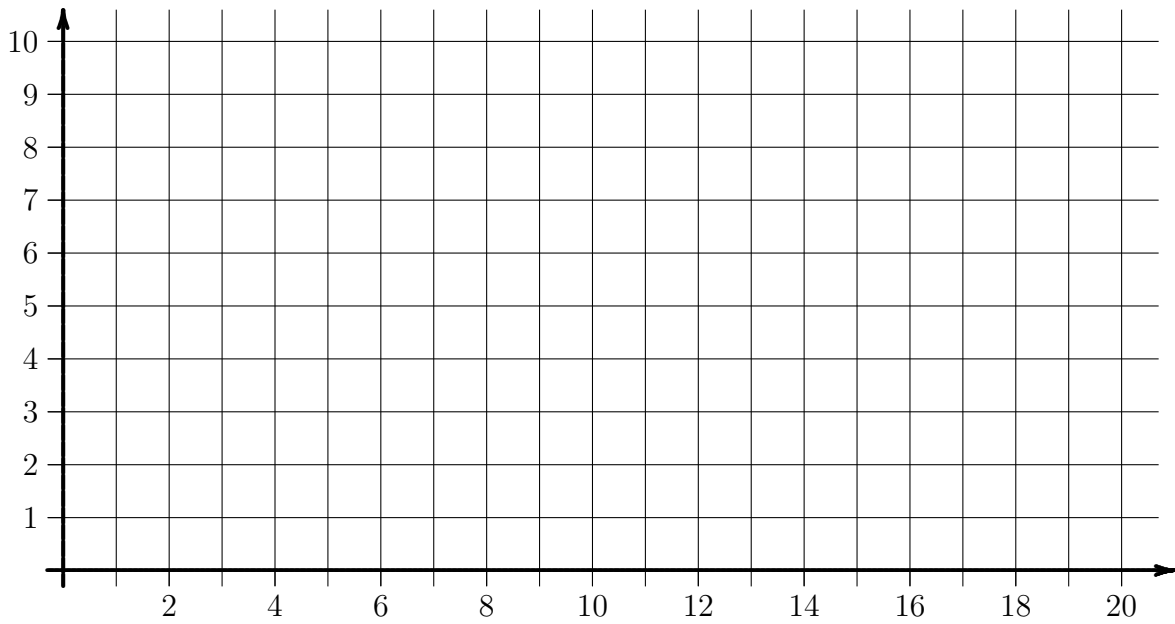
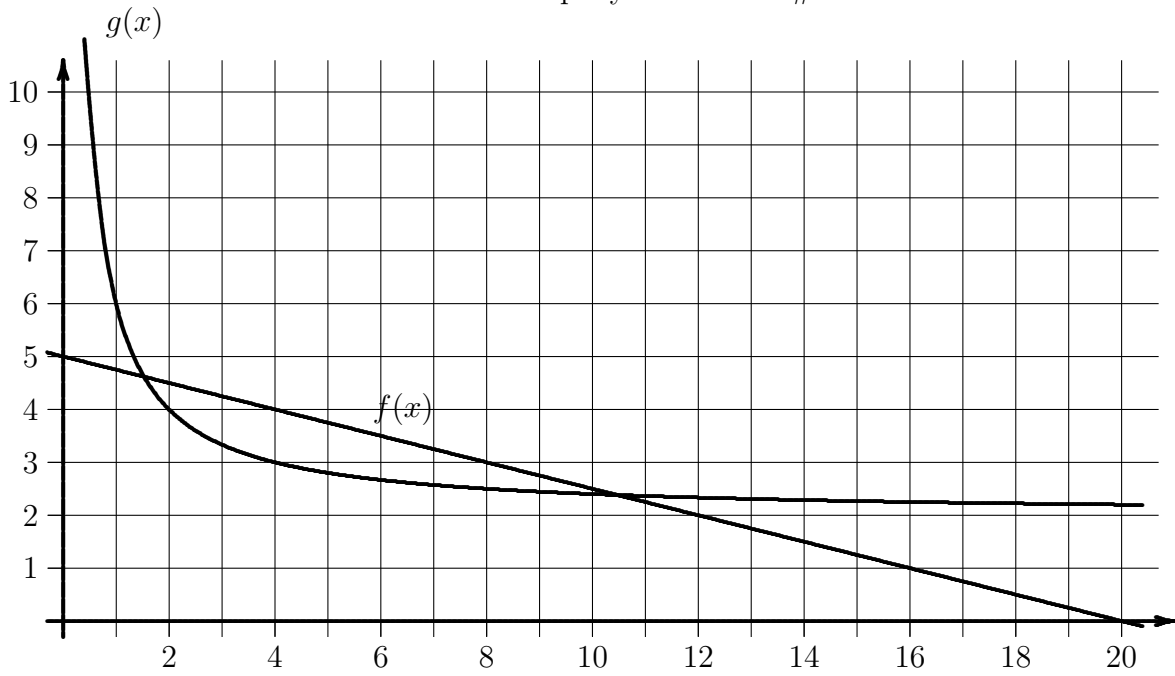
$q$	100	200	300	400	500	600	700	800	900	1000
$MC$	1.88		0.08	0.08	0.68	1.88	3.68	6.08	9.08	12.68
$AC$	7.73	4.48		2.33	1.93	1.81	1.94	2.30	2.88	3.68
$AVC$	2.73	1.98	1.43	1.08	0.93	0.98		1.68	2.33	3.18



Your copy of the  $TC$  and  $VC$  graphs for selling paperweights might be getting messy. Here are two more copies:

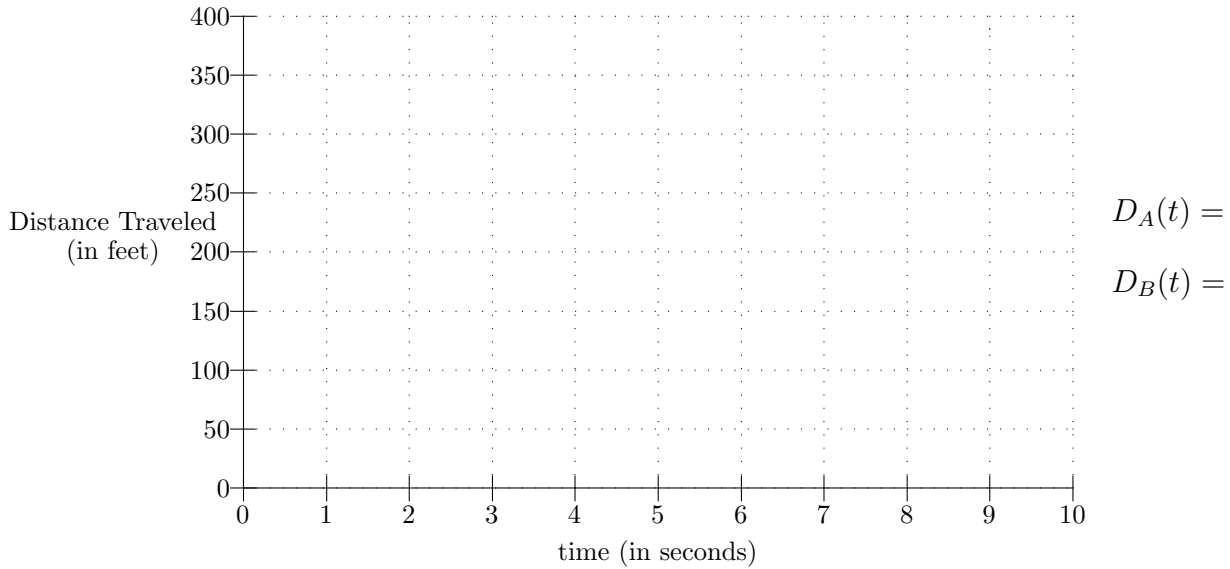
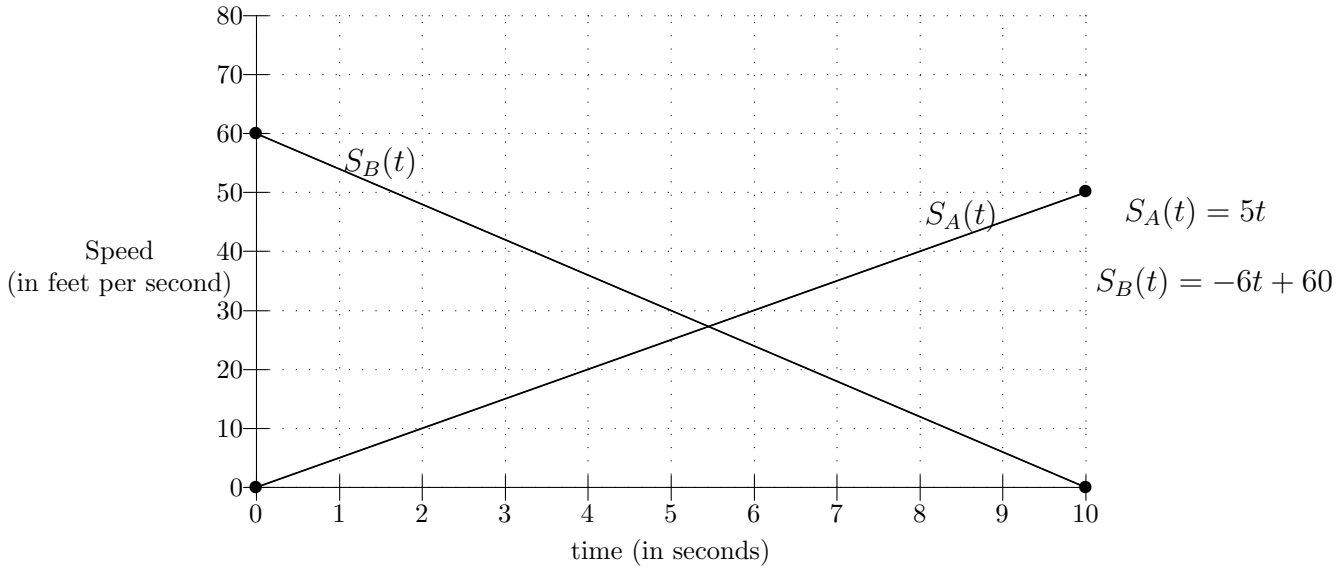


Handout to accompany Worksheet #15



Handout to accompany Worksheet #17

**Story:** The figure below gives the graphs of *speed* for two cars, Car A and Car B. Assume that at time  $t = 0$ , the two cars are next to one another.



Handout to Accompany Worksheet #19

**Story:** Your Great Aunt Emmy dies, leaving you some money. However, she wants to make sure you understand how interest is compounded. So, you must choose between the following options.

**Option A:** An account is set up in your name and \$5000 is deposited in it. A deposit of \$5000 is made at the end of each year for the next 25 years. You get the money at the end of the 25<sup>th</sup> year, after the annual deposit has been made.

**Option B:** An account is set up in your name and \$5000 is deposited. At the end of each year, 14% of the current balance is credited to the account. You are given the balance at the end of the 25<sup>th</sup> year, after the interest has been credited.

**Option C:** Same as B, but with 6.5% of the balance credited every six months.

**Goal:** to choose the most lucrative option